

A Model of U.S. Monetary Policy and the Global Financial Cycle

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Motivation

- U.S. MP has large effects on risky asset prices in rest of world.
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- No GE model explaining global risk pricing effects of U.S. MP.
- Such a framework needed to understand
 - why U.S. MP is special;
 - implications for macro spillovers;
 - if these spillovers might change in future.

Propose model of U.S. monetary transmission in open-economy NK with global intermediaries that price risky assets globally.

- When intermediaries are short dollar, dollar appreciation upon U.S. MP tightening erodes net worth, raises global price of risk.
- Quantitative relevance of mechanism:
 - FX, yield curve resp. to U.S. MP line up with avg excess returns.
 - intermediaries indeed short dollar if portfolio mean-var. efficient.
 - spillovers through risk pricing matter for real outcomes.
- Potential future with higher dollar interest rates:
 - ⇒ lower intermediary dollar funding, so smaller U.S. MP spillovers.
 - can arise from lower dollar demand, consistent with 2025 data.

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 - households supply labor and consume local, imported goods;
 - firms set sticky prices in each destination market (“LCP”);
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- **builds on** Gabaix-Maggiore (15), Itskhoki-Mukhin (21), Kekre-Lenel (24); Gourinchas-Ray-Vayanos (25), Greenwood-Hanson-Sunderam-Stein (23).

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⇒ Global macro model w/ currency, bond risk premia. Many uses.

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- **Prop:** given U.S. tightening at t ,

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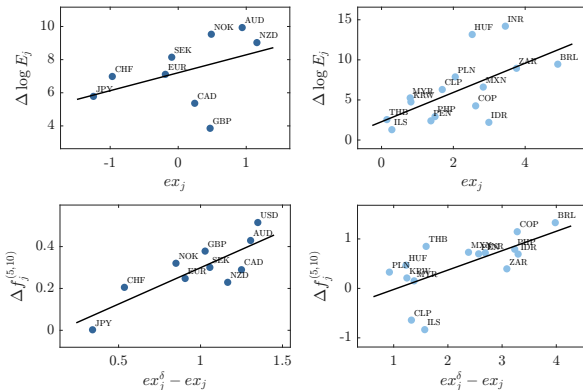
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- Similar mechanism applies to risk premia on long-term bonds.

Asset price responses to U.S. tightening in data

- Given 1pp Bauer-Swanson (23) surprise increase in 2y U.S. yield:

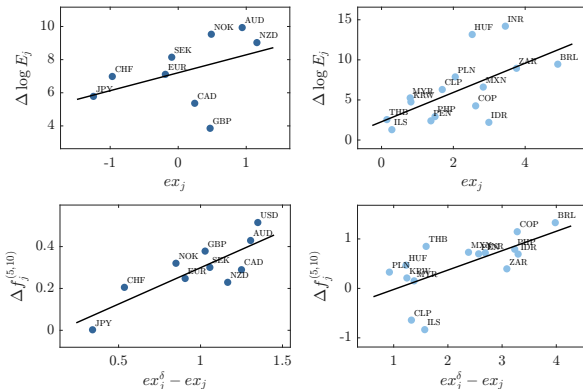


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- Long yields on bonds paying higher excess returns rise by more.

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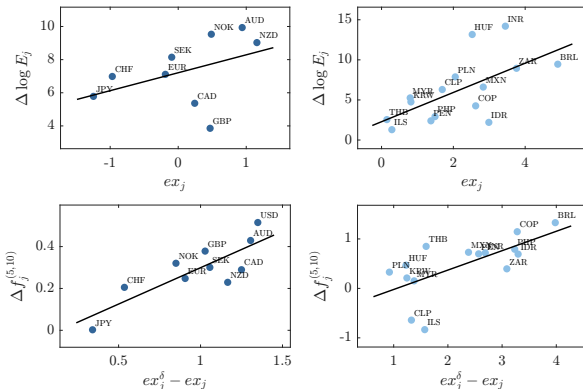
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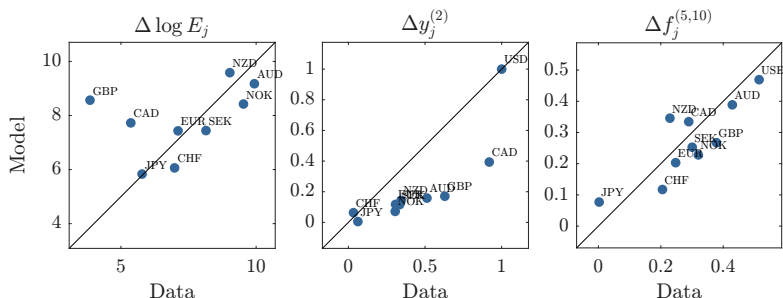
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- Dollar has low interest rate *relative to risk*, complementing CIP-based “dollar convenience” (Jiang-Krishnamurthy-Lustig (21)).
- Structure of portfolio robust to base currency; using IBOR yields; excluding long bonds; sample period. [► Details](#)

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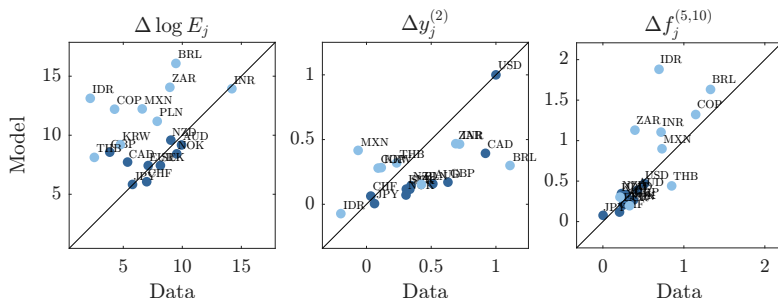
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- Implied leverage ≈ 30 .

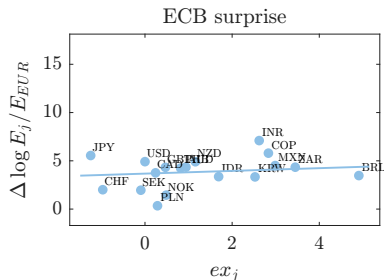
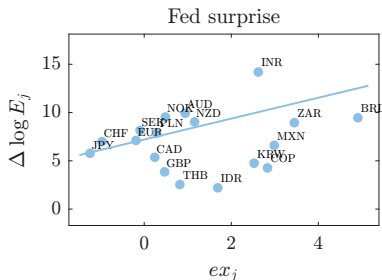
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- Implied leverage ≈ 30 . EM “misses” may be FX intervention (Albagli-Ceballos-Claro-Romero (19, 24)) or mis-measurement.

The specialness of U.S. MP

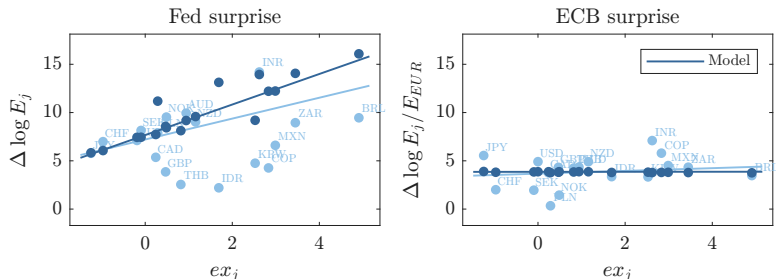
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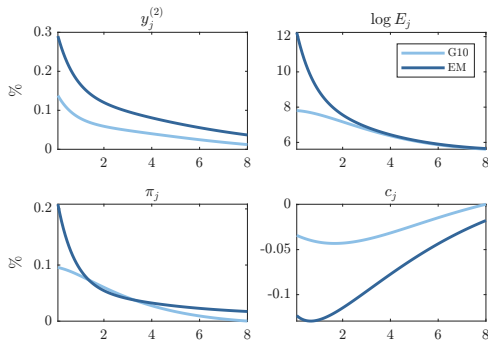
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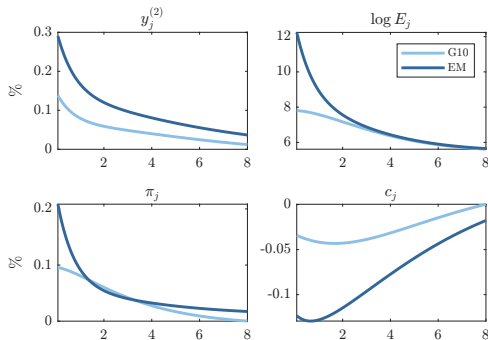
- Unlike Fed surprises, x-section doesn't line up with avg returns.
- Model explains this (untargeted!), given dollar funding.

- Effects on risk pricing $\Rightarrow$ “sudden stop” in EMs vs. G10:



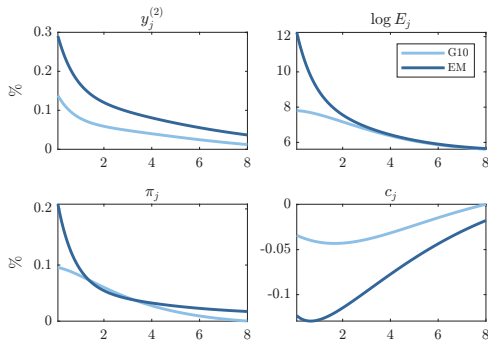
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- Here conjecture distinct gains from coordination: countries do not internalize effect of broad dollar on intermediary wealth.

What might the future hold?

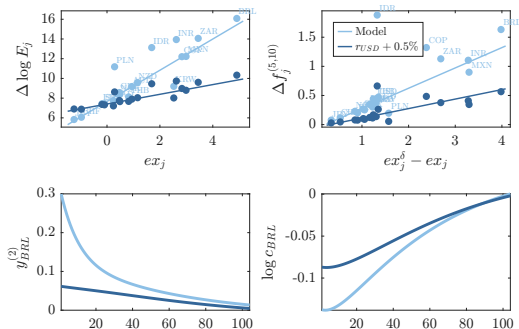
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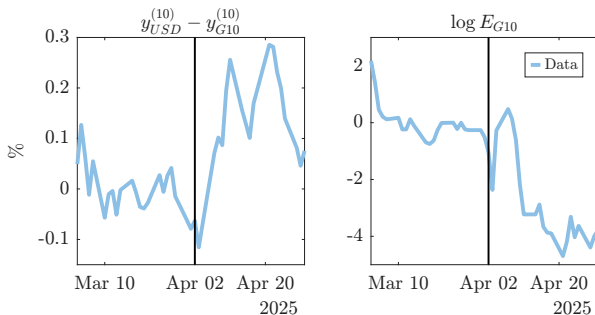
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- Dollar interest rates may rise (fiscal, dollar demand, ...).
- Model implies weaker U.S. monetary spillovers, because mean-variance efficient portfolio features smaller dollar funding:

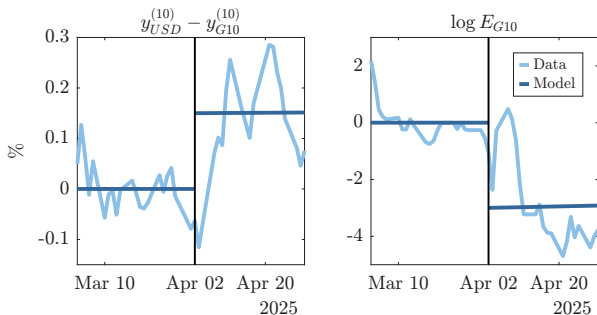


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- Can match with decline in foreign ownership of dollar bonds equal to 3.1% of annual U.S. output (half-life ≈ 3 years).

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wealth/ GDP	persistence (ann.)			
	0.85	0.90	0.95	0.9999
0.1%	-2.3%	-2.1%	-1.8%	-1.6%
0.2%	-3.0%	-2.6%	-2.3%	-2.0%
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- vs. foreign-owned Treasuries (debt, assets): 25% (50%, 200%).
- News of future rebalancing is what matters for asset prices.

Conclusion

Extended canonical NKOE w/ global intermediaries pricing risk.

- When intermediaries are short dollar, U.S. MP tightening erodes net worth and raises global price of risk.
- Consistent w/ FX, yield responses. Matters for real spillovers.
- Dampened w/ higher dollar rates, as from lower dollar demand.

APPENDIX

- Exchange rates and balance sheet effects in open economies.

Bruno-Shin (15), Miranda-Agrippino-Rey (20), Jiang-Krishnamurthy-Lustig (24).
Aghion-Bacchetta-Banerjee (07), Gertler-Gilchrist-Natalucci (07),...

Here: GE; imperfect asset substitutability from risk.

- Int'l capital flows and risk premia in segmented markets.

Gabaix-Maggiore (15), Itskhoki-Mukhin (21), Kekre-Lenel (24).
Gourinchas-Ray-Vayanos (22), Greenwood-Hanson-Sunderam-Stein (23).

Here: multiple risky assets in GE; endog. risk-bearing capacity.

- Risk premium effects of MP in closed economy.

Hanson-Stein (15), Hanson-Lucca-Wright (21).
Bianchi-Lettau-Ludvigson (21), Bauer-Pflueger-Sunderam (24), Bianchi-Ludvigson-Ma (24).
Pflueger-Rinaldi (22), Kekre-Lenel (22), Kekre-Lenel-Mainardi (25).

Here: open economy; wealth reval'n explains why U.S. MP special.

- Representative household in each country j :
 - separable utility in consumption (IES ψ) and labor supply.
 - CES consumption over goods from each country (elast. σ).
 - asset markets are only difference from standard NKOE models.
 - in each currency k , agents trade short bond paying $i_{k,t}$ at $t + 1$, consol at price $P_{k,t}^\delta$ and paying $1, \delta, \delta^2, \dots$ from $t + 1$ onwards.
 - households frictionlessly trade local currency short bond;
 - households have exog. positions in foreign short bonds, consols:

$$B_{jk,t} = P_{k,t} \bar{b}_{jk}, \quad \forall k \neq j,$$

$$B_{jk,t}^\delta = P_{k,t} \bar{b}_{jk}^\delta, \quad \forall k.$$

can easily generalize as “demand shifters”, w/ adj. costs.

- Intermediaries trade all bonds and facilitate int'l capital flows:
 - rep. intermediary at t has wealth $W_{m,t}$ (in dollars) and trades in all bonds to maximize

$$E_t \Pi_{m,t+1} - \frac{\gamma}{W_{m,t}} \text{Var}_t \Pi_{m,t+1},$$

where $\Pi_{m,t+1}$ is dollar value of intermediary's portfolio at $t + 1$.

- share ξ exit at $t + 1$, rebate wealth to U.S. households.
 - new intermediaries endowed w/ $P_{1,t+1}\omega_m$ from U.S. households.
- ⇒ wealth of rep. intermediary evolves as

$$W_{m,t+1} = \xi P_{1,t+1}\omega_m + (1 - \xi)\Pi_{m,t+1}.$$

- Assuming profits rebated to U.S. households is not important; objective denominated in dollars *can* be important.

- Continuum of firms in each j owned by domestic households:
 - produce variety with linear technology in labor.
 - face price adjustment costs in each destination (LCP).
- Taylor (93) rules: inertia ρ_i , inflation coeff. ϕ_π , U.S. shock $\nu_{i1,t}$.
 - later consider foreign policies that target exchange rate, FXI.
- Market clearing: labor, goods, one-period bonds, consols.
- Defn's: $q_{j,t} \equiv E_{j,t} P_{1,t} / P_{j,t}$,
 $ex_{j,t+1} \equiv \frac{E_{j,t}}{E_{j,t+1}} (1 + i_{j,t}) - (1 + i_{1,t})$,
 $ex_{j,t+1}^\delta \equiv \frac{E_{j,t}}{E_{j,t+1}} \frac{1 + \delta P_{j,t+1}^\delta}{P_{j,t}^\delta} - (1 + i_{1,t})$.

- First-order approx. around SS with $\gamma\sigma_{shocks}^2 \rightarrow \Gamma$ as $\sigma_{shocks} \rightarrow 0$ (Itskhoki-Mukhin (21), Borovicka-Hansen-Sargent (23), KL (24)).

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- In SS,

$$ex_j = \frac{\Gamma}{w_m} \left[\sum_{k=2}^n Cov(ex_{j,+1}, ex_{k,+1}) q_k^{-1} b_{mk} + \sum_{k=1}^n Cov(ex_{j,+1}, ex_{k,+1}^\delta) q_k^{-1} b_{mk}^\delta \right],$$

where $w_{m,t} \equiv W_{m,t}/P_{1,t}$, $b_{mk,t} \equiv B_{mk,t}/P_{k,t}$, $b_{mk,t}^\delta \equiv B_{mk,t}^\delta/P_{k,t}$, and

$$E_t \hat{ex}_{j,t+1} = -ex_j \hat{w}_{m,t} + \frac{\Gamma}{w_m} \sum_{k=2}^n Cov(ex_{j,+1}, ex_{k,+1}) q_k^{-1} \hat{b}_{mk,t} + \dots$$

and analogously for ex_j^δ , $E_t \hat{ex}_{j,t+1}^\delta$.

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$$ex_j = \frac{\Gamma}{w_m} \left[\sum_{k=2}^n Cov(ex_{j,+1}, ex_{k,+1}) q_k^{-1} b_{mk} + \sum_{k=1}^n Cov(ex_{j,+1}, ex_{k,+1}^\delta) q_k^{-1} b_{mk}^\delta \right],$$

where $w_{m,t} \equiv W_{m,t}/P_{1,t}$, $b_{mk,t} \equiv B_{mk,t}/P_{k,t}$, $b_{mk,t}^\delta \equiv B_{mk,t}^\delta/P_{k,t}$, and

$$E_t \hat{ex}_{j,t+1} = -ex_j \hat{w}_{m,t} + \frac{\Gamma}{w_m} \sum_{k=2}^n Cov(ex_{j,+1}, ex_{k,+1}) q_k^{-1} \hat{b}_{mk,t} + \dots$$

and analogously for ex_j^δ , $E_t \hat{ex}_{j,t+1}^\delta$.

- ⇒ Cov's summarize role of other shocks in propagation of $\nu_{i1,t}$.
We treat these as parameters and discipline directly with data.

- Consider fully sticky prices, small $\{ex_j, b_{jk}, \Gamma/w_m\}$, $\{b_{jk}^\delta = 0\}$.
- Prop:** given U.S. monetary tightening $d\nu_{i1,t}$,

$$\begin{aligned} \hat{E}_{j,t} = \hat{q}_{j,t} = & \left([\beta^{-1} - \rho_{i1}]^{-1} [1 + (\beta^{-1} - 1)(1 - \rho_{i1})^{-1}\psi] \right. \\ & + [\beta^{-1} - \rho_{i1}]^{-1} [1 + (\beta^{-1} - 1)(1 - \rho_{i1})^{-1}\psi] \beta \frac{1 - \xi}{\xi} \frac{\sum_{k=2} q_k^{-1} b_{mk}}{w_m} ex_j \\ & \left. + [\beta^{-1} - \rho_{i1}]^{-2} [\beta^{-1} - 1]^{-1} [\psi - 1] \frac{\Gamma}{w_m} \text{Cov} \left(ex_{j,+1}, \sum_{k=2}^n \eta_{1k} ex_{k,+1} \right) \right) d\nu_{1,t}. \end{aligned}$$

- Consider fully sticky prices, small $\{ex_j, b_{jk}, \Gamma/w_m\}$, $\{b_{jk}^\delta = 0\}$.
- Prop:** given U.S. monetary tightening $d\nu_{i1,t}$,

$$\hat{E}_{j,t} = \hat{q}_{j,t} = \left([\beta^{-1} - \rho_{i1}]^{-1} [1 + (\beta^{-1} - 1)(1 - \rho_{i1})^{-1}\psi] \right) d\nu_{1,t}.$$

- Absent change in risk pricing, foreign depreciation.
- Arbitrarily large as $\beta \rightarrow 1$, $\rho_{i1} \rightarrow 1$ (à la Engel-West (05)).
- Does not depend on trade w/ U.S. b/c of fully sticky prices.

- Consider fully sticky prices, small $\{ex_j, b_{jk}, \Gamma/w_m\}$, $\{b_{jk}^\delta = 0\}$.
- Prop:** given U.S. monetary tightening $d\nu_{1,t}$,

$$\hat{E}_{j,t} = \hat{q}_{j,t} = \left(\left[\beta^{-1} - \rho_{11} \right]^{-1} \left[1 + (\beta^{-1} - 1)(1 - \rho_{11})^{-1} \psi \right] \beta \frac{1 - \xi}{\xi} \frac{\sum_{k=2} q_k^{-1} b_{mk}}{w_m} ex_j \right) d\nu_{1,t}.$$

- Dollar appreciation reduces wealth if $\sum_{k=2}^n q_k^{-1} b_{mk} > 0$.
- Raises risk premium ($\Rightarrow$ bigger depreciation) if $ex_j > 0$.
- Magnified as ξ falls, since risk premium persistently rises.

- Consider fully sticky prices, small $\{ex_j, b_{jk}, \Gamma/w_m\}$, $\{b_{jk}^\delta = 0\}$.
- Prop:** given U.S. monetary tightening $d\nu_{1,t}$,

$$\hat{E}_{j,t} = \hat{q}_{j,t} = \left($$

$$[\beta^{-1} - \rho_{11}]^{-2} [\beta^{-1} - 1]^{-1} [\psi - 1] \frac{\Gamma}{w_m} \text{Cov} \left(ex_{j,+1}, \sum_{k=2}^n \eta_{1k} ex_{k,+1} \right) \right) d\nu_{1,t}.$$

- If $\psi < 1$, U.S. inflows $\Rightarrow$ intermediary holds less foreign bonds.
 - Currencies w/ high “dollar beta” fall in risk and appreciate.
- $\Rightarrow$ “Dollar beta” (Verdelhan (18)) is exposure to U.S. inflows in GE.

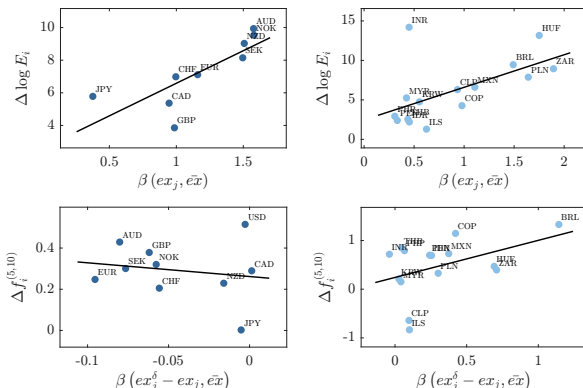
- **Prop:** given U.S. monetary tightening $d\nu_{i1,t}$,

$$\begin{aligned} \hat{P}_{j,t}^{\delta} = & \left(-[1 - \delta\beta\rho_{i1}]^{-1} \mathbf{1}\{j=1\} \right. \\ & - [\beta^{-1} - \rho_{i1}]^{-1} [1 + (\beta^{-1} - 1)(1 - \rho_{i1})^{-1}\psi] \frac{1 - \xi}{1 - \delta(1 - \xi)} \frac{\sum_{k=2} q_k^{-1} b_{mk}}{w_m} (ex_j^{\delta} - ex_j) \\ & \left. - [\beta^{-1} - \rho_{i1}]^{-1} [\beta^{-1} - \delta\rho_{i1}]^{-1} [\psi - 1] \frac{\Gamma}{w_m} \text{Cov} \left(ex_{j,+1}^{\delta} - ex_{j,+1}, \sum_{k=2}^n \eta_{1k} ex_{k,+1} \right) \right) d\nu_{1,t}. \end{aligned}$$

- U.S. monetary policy affects global risk pricing through
 - ① revaluation of intermediary wealth $\Rightarrow$ change in price of risk;
 - ② capital flows $\Rightarrow$ change in quantity of risk (“portfolio balance”).
 - #2 depends on Cov's and (standard) preference parameters.
 - #1 depends on ex 's, $\frac{\sum_{k=2}^n q_k^{-1} b_{mk}}{w_m}$, and ξ .
 - recall portfolios solve (in matrix notation) $\mathbf{ex} = \frac{\Gamma}{w_m} \mathbf{C}(\mathbf{q}^{-1} \mathbf{b}_m)$.
- $\Rightarrow \frac{1}{w_m} (\mathbf{q}^{-1} \mathbf{b}_m) = \frac{1}{\Gamma} \mathbf{C}^{-1} \mathbf{ex}.$
- $\Rightarrow$ estimated $\mathbf{C}$ and $\mathbf{ex}$ pins down currency exposure.
then we estimate Γ, ξ to match asset price effects of U.S. MP.

Asset price responses to U.S. tightening in data

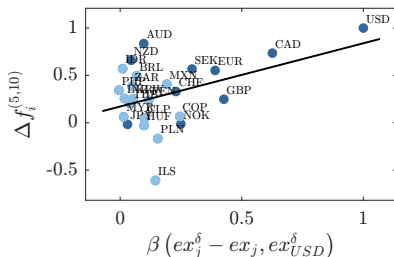
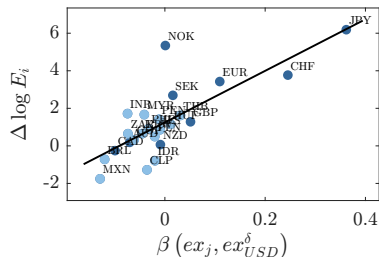
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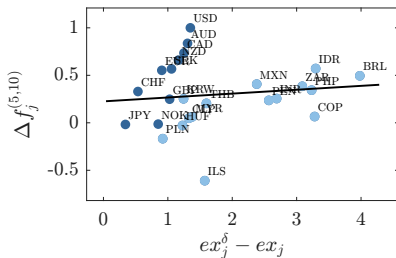
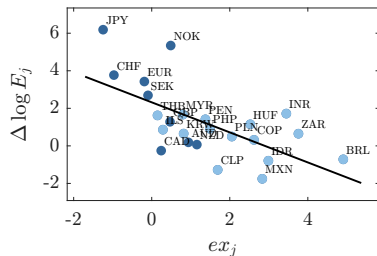
- Currencies covarying more with broad dollar depreciate by *more*.
- ⇒ Portfolio balance not dominant (assuming U.S. inflows).
- But consistent w/ comovements induced by MP being “typical”.

Asset price responses to U.S. QT in data

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Asset price responses to U.S. QT in data

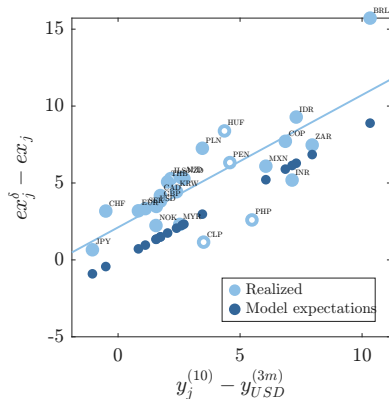
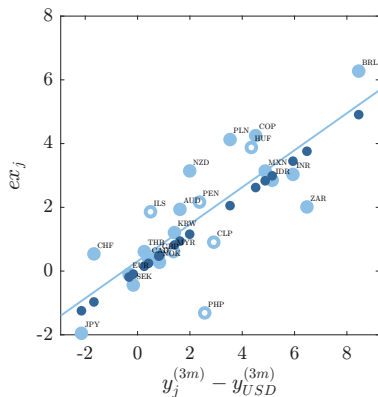
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- Daily data on G10 + EM yield curves, exchange rates, 91-24.

	CHF, EUR, JPY	Other non- U.S. G10	EM
Avg 3m interest rate diff. (ann.)	-1.4%	0.9%	4.0%
Avg 3m excess return (ann.)	-0.5%	1.0%	2.7%
Daily s.d. of log exchange rate (ann.)	10.1%	11.0%	10.8%

- Estimate ***ex*** using fitted value from x-sectional reg. of avg. excess returns on interest rate diff. and slope of yield curve.
- Estimate ***C*** using cov's of daily changes in log exchange rates and 10-year bond prices, aggregated to quarter.

Mean-variance efficient portfolios (2/3)

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- Resulting mean-variance efficient portfolio shares:

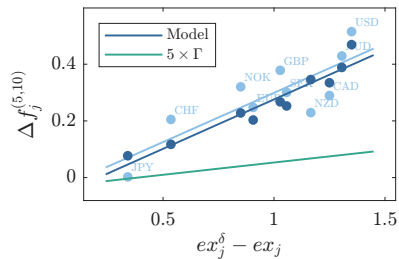
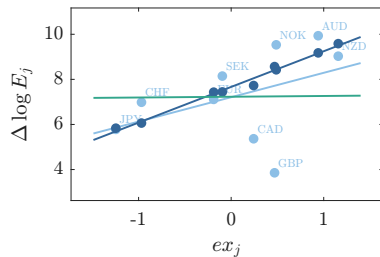
	CHF, EUR, JPY	Other non- U.S. G10	EM	Sum
$\Gamma = 1$	-2.1	-2.7	9.2	4.5
$\Gamma = 1$, JPY-based investor	-2.1	-2.7	9.2	4.5
$\Gamma = 0.1$	-20.5	-27.1	92.2	44.6
$\Gamma = 0.1$, JPY-based investor	-29.5	-27.1	92.2	35.6
$\Gamma = 1$, G10 IBOR yields	-3.2	-0.7	6.3	2.5
$\Gamma = 1$, no 10-year bonds	-0.7	-3.1	9.7	5.9
$\Gamma = 1$, 2008-2024	-3.9	-2.5	9.9	3.5

- Growing literature measuring international portfolios.
Maggiori-Neiman-Schreger (20), Koijen-Yogo (22), Du-Fontana-Jakubik-Koijen-Shin (23), Hacıoglu-Ostry-Rey-Rousset Planat-Stavrakeva-Tang (24), Rey-Stavrakeva (24), Dao-Gourinchas-Itskhoki (25), ...
- But even using administrative data:
 - how to measure exposure given (opaque) trading in derivatives?
 - who are the “intermediaries”? (i.e., who enforces no arbitrage?)
- Solving for optimal portfolios can be useful complementary tool.
Downside: potential instability. Robustness ongoing.

- Externally set parameters:
 - $\psi = 0.5$, $\sigma = 1.5$, Calvo-equiv. 5 qtrs, $\xi \approx$ half-life 2 qtrs.
- Calibrated parameters without reference to U.S. MP shocks:
 - discount factors and $\{\bar{b}_{1j}^\delta\}$ matching **ex**;
 - $\{\bar{b}_{1j}, \bar{b}_{jk}, \bar{b}_{jk}^\delta\} = 0 \quad \forall j > 1$ for now (intend to match NFAs);
 - **C** directly taken from data;
 - tastes in CES aggregators matching trade shares (IMF DOTS).
- $\{\Gamma, \xi, \rho_{i1}\}$ estimated on high-freq. G10 responses to U.S. MP:
 - project $\Delta y_{j,t}^{(2)}$, $\Delta f_{j,t}^{(5,10)}$, $\Delta \log E_{j,t}$ on Bauer-Swanson (22) surp.
 - responses which follow scaled to correspond to $\Delta y_{USD,t}^{(2)} = 1pp$.
- ω_m estimated on high-freq. U.S. response to QE1.

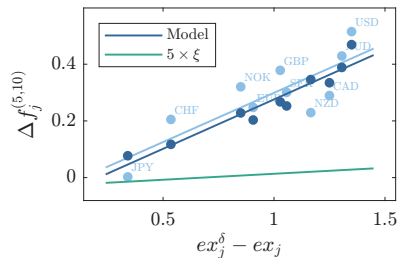
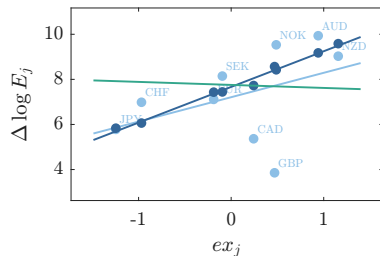
Identification of Γ

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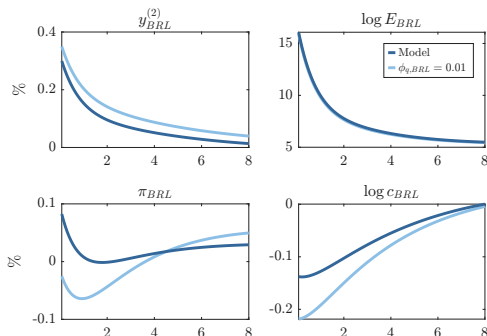


Identification of ξ

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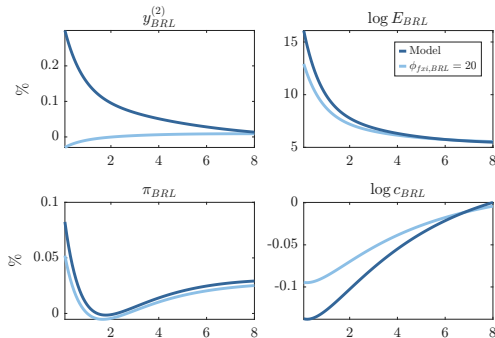


- Add $+\phi_{q,j}(\log q_{j,t} - \log q_j)$ to monetary policy rule.



- $\phi_{q,BRL} > 0$ dampens depreciation but worsens real contraction.

- New FXI rule: $\bar{b}_{j1,t} = -\phi_{fxi,j}(\log q_{j,t} - \log q_j)$.



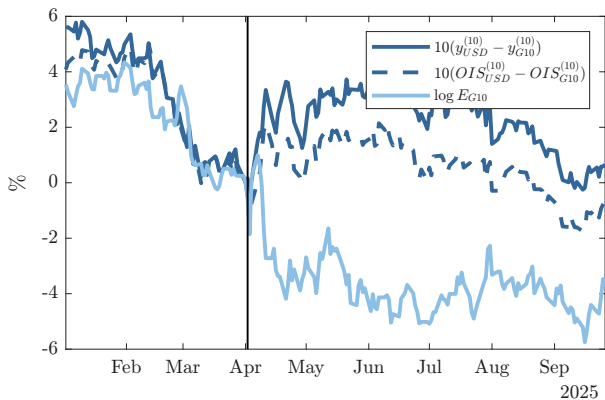
- $\phi_{fxi,BRL} > 0$ dampens depreciation and lowers domestic yields.

- Going forward, dollar rates may rise (fiscal, dollar demand, ...).
- Mean-variance efficiency implies shift away from dollar funding:

	CHF, EUR, JPY	Other non- U.S. G10	EM	Sum
$\Gamma = 1$	-2.1	-2.7	9.2	4.5
$\Gamma = 1, 0.5pp$ higher dollar rate	-2.9	-3.0	6.7	0.8

- Recall Δ risk pricing from U.S. MP depends on $\frac{\sum_{k=2}^n q_k^{-1} b_{mk}}{w_m} \text{ex}_j$.

⇒ Dampened with smaller leverage in non-dollar bonds.



- Recall

$$E_t \hat{e}x_{j,t+1} = \frac{\Gamma}{w_m} \sum_{k=2}^n \text{Cov}(ex_{j,+1}, ex_{k,+1}) q_k^{-1} \hat{b}_{mk,t} + \dots$$

$\Rightarrow$ given other targets, w_m controls price impact per dollar flow.

- We discipline endowment ω_m to match effect of U.S. QE1:
 - $\approx 6.5\%$ of ann. GDP worth of 10-year Treasuries purchased.
 - simulate equivalent $\bar{b}_{11,t}^\delta$ innovation in model with half-life ≈ 3 years, and estimate ω_m to match $\Delta f_{USD,t}^{(5,10)} = -1.2\%$.

Impulse responses to foreign flows

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