## Sovereign Spreads and the Effects of Fiscal Austerity

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- This paper proposes framework to analyze impact of fiscal policy shocks on Sovereign Spreads
- Uses the model to analyze the case of Spain

## Model Preview

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#### • Estimated fiscal rules

- Estimation using fiscal data
- Represent fiscal policy in normal times
- Use them to identify fiscal policy (austerity) shocks

## **Results Preview**

#### • Fiscal austerity can increase spreads when

- 1. Fiscal policy is persistent
- 2. Economy is expected to be in a recession (low consumption and hours)
- 3. Fiscal multipliers are expected to be high

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  - 1. Fiscal policy is persistent
  - 2. Economy is expected to be in a recession (low consumption and hours)
  - 3. Fiscal multipliers are expected to be high
- Fiscal rules parameters seem to be key to determine the chance of facing a self-defeating austerity
- Application to Spain
  - Perform a counter-factual exercise: compare economy with and without austerity
  - Find that austerity decreased sovereign spreads

## Literature

- Fiscal austerity (structural). Bi, Leeper and Leith (2013), Mendoza, Tesar and Zhang (2014), House, Proebsting and Tesar (2015), Arellano and Bai (2016), de Cordoba, Pujolas and Torres (2017)
  Contribution: Realistic fiscal policy + debt and spreads
- Fiscal austerity (empirical). Giavazzi and Pagano (1990), Alesina and Ardagna (2010), Alesina, Favero and Giavazzi (2012), Guajardo, Leigh and Pescaroti (2014), Alesina et al (2015)

Contribution: Effects on sovereign spreads and debt to GDP ratios

• **Sovereign Default**. Eaton and Gersovitz (1981), Aguiar and Gopinath (2006), Arellano (2008), Cuadra, Sanchez and Sapriza (2010), Bianchi, Ottonello and Presno (2019), Conesa, Kehoe and Ruhl (2016), Arellano, Bai and Mihalache (2019)

Contribution: Use default model to perform positive analysis

• Eurozone crisis analysis. Lane (2012), Shambaugh (2012), Martin and Philippon (2015), Schmitt-Grohe and Uribe (2016) Contribution: Focus on austerity

# Roadmap

- 1. Model
- 2. Analysis
- 3. Application to Spain
  - Calibration
  - Counter-factual analysis

# Model

## Model

- 4 Agents: Household, Firms (Tradables and Nontradables), Government, International Investors
- Representative household with utility function,

$$E_t \sum_{t=0}^{\infty} \beta^t \left\{ \frac{C_t^{1-\sigma} - 1}{1-\sigma} - \chi \frac{H_t^{1+\theta}}{1+\theta} \right\}$$
$$C_t = \mathcal{C}(C_{Nt}, C_{Tt}) = \left[ \omega \left( C_{Nt} \right)^{\frac{\mu-1}{\mu}} + \left( 1 - \omega \right) \left( C_{Tt} \right)^{\frac{\mu-1}{\mu}} \right]^{\frac{\mu}{\mu-1}}$$

Budget constraint,

$$p_{Nt}C_{Nt}+C_{Tt}=w_tH_t+\Pi_t-T_t$$

## Model

• Firms:

Representative firms with following technology

$$\begin{aligned} Y_{Nt} &= A_{Nt} \left( H_{Nt}^{d} \right)^{\alpha} \\ Y_{Tt} &= A_{Tt} \left( H_{Tt}^{d} \right)^{\alpha} \end{aligned}$$

Where TFPs  $(A_{Nt} \text{ and } A_{Tt})$  follow a AR(1) processes in logs

- Labor market:
  - As in Schmitt-Grohe and Uribe (2016), I assume downward wage rigidity

$$w_t \geq \gamma w_{t-1}$$

this implies that model displays unemployment for some states

### Government

- Benevolent
- Policy choice default, *d*<sub>t</sub>
- Policy rules  $G_{Nt}, G_{Tt}, B_{t+1}$
- Long-run external debt  $(B_t)$  with a geometrically decaying coupon  $\delta$
- Budget constraint (determines  $T_t$ )

 $p_{Nt}G_{Nt} + G_{Tt} + (1 - d_t)\delta B_t = T_t + (1 - d_t)q_t(B_{t+1} - (1 - \delta)B_t)$ 

#### International Creditors

- Deep pocket
- Time separable utility

$$\sum_{t=0}^{\infty} \exp\left\{\sum_{j=0}^{t-1} m_{j,j+1}\right\} C_t^*$$

- Following Ang and Piazzesi (2003) and Bocola and Dovis (2019) assume  $m_{t,t+1}$  is affected by a risk premium shock  $\chi_t$  More
- No arbitrage implies

$$q_{t} = E_{t} \left\{ \exp\{m_{t,t+1}\} \left[ (1 - d_{t+1}) \underbrace{(\delta + (1 - \delta)q_{t+1})}_{\text{payoff if repay}} + d_{t+1} \underbrace{q_{t+1}^{D}}_{\text{price in default}} \right] \right\}$$

•  $q_{t+1}^D$  Price of a bond in default (endogenous object) More

## Policy Rules: G

• Follow Blanchard and Perotti (2002)

$$\log\left(\frac{G_t}{\bar{G}}\right) = \rho_G \log\left(\frac{G_{t-1}}{\bar{G}}\right) + \rho_{GX} X_{t-1} + \sigma_G \epsilon_t^G$$
$$\epsilon_t^G \sim N(0, 1)$$

- Estimated using quarterly data from Eurostat
- *G<sub>t</sub>* is a composite of nontradable and tradable goods

$$G_{t} = \left[\omega\left(G_{Nt}\right)^{\frac{\mu-1}{\mu}} + (1-\omega)\left(G_{Tt}\right)^{\frac{\mu-1}{\mu}}\right]^{\frac{\mu}{\mu-1}}$$

### Policy Rules: B

• The stock of external public debt B<sub>t</sub> follows,

$$\log\left(\frac{B_{t+1}}{\bar{B}}\right) = \gamma_B \log\left(\frac{B_t}{\bar{B}}\right) + \gamma_G \log\left(\frac{p_{Gt}G_t}{\bar{p_G}\bar{G}}\right) + \gamma_Y \log\left(\frac{Y_t^{nom}}{\bar{Y}^{nom}}\right)$$

- Estimated using quarterly data
- Fits data very well for Spain ( $R^2 = 0.989$ ) Graph

• Markov Perfect Equilibrium

Value Functions

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- Set of states  $\mathbf{S} = \{B, w_{-1}, A_N, A_T, G, \chi\}$



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- Set of states  $\mathbf{S} = \{B, w_{-1}, A_N, A_T, G, \chi\}$
- Government decides whether to default or not  $d = \Phi_d(\mathbf{S})$
- Value function of government is given by

$$\mathcal{V}(\mathbf{S}) = \max\left\{\mathcal{V}^{R}(\mathbf{S}), \mathcal{V}^{D}(\mathbf{S}) - \xi\right\}$$

 $\begin{array}{l} \mathcal{V}^{R}(\mathbf{S}): \text{ Repayment Value} \\ \mathcal{V}^{D}(\mathbf{S}): \text{ Default Value} \\ \xi: \text{ utility cost of default iid } \mathcal{N}(0, \sigma_{\xi}) \end{array}$ 

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- Haircut  $1 \psi$  once country regains access to capital markets

# Analysis

• Household FOC,

$$p_{Nt} = \frac{u'(C_t)\mathcal{C}'_{C_N}}{u'(C_t)\mathcal{C}'_{C_T}}$$

where 
$$\iota_t \equiv B_{t+1} - (1 - \delta)B_t$$

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• Household FOC,

$$p_{Nt} = \frac{\omega}{1-\omega} \left( \frac{Y_{Tt} - G_{Tt} + q_t \iota_t - \delta B_t}{Y_{Nt} - G_{Nt}} \right)^{1/\mu}$$

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• Household FOC,

$$p_{Nt} = \frac{\omega}{1-\omega} \left( \frac{Y_{Tt} - \downarrow \mathbf{G}_{Tt} + \downarrow \mathbf{q}_t \iota_t - \delta B_t}{Y_{Nt} - \downarrow \mathbf{G}_{Nt}} \right)^{1/\mu}$$

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- In principle unknown impact of austerity on p<sub>Nt</sub>
- If CES aggregators are the same for  $C_t$  and  $G_t$  most important effect is through  $q_t \iota_t$

• 
$$\downarrow G_t \rightarrow \downarrow q_t \iota_t \rightarrow \downarrow p_{Nt}$$

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• Labor demand shifts leftwards

• Downward wage rigidity increases austerity multipliers



- Fiscal multipliers are higher if wages can not drop during austerity
- How fast  $\iota_t$  or  $B_{t+1}$  drops is key to determine the size of multipliers
- In other words,  $\gamma_{\mathcal{G}}$  and  $\gamma_{\mathcal{Y}}$  are important
- Remember,

$$\log\left(\frac{B_{t+1}}{\bar{B}}\right) = \gamma_B \log\left(\frac{B_t}{\bar{B}}\right) + \gamma_G \log\left(\frac{p_{Gt}G_t}{\bar{p_G}\bar{G}}\right) + \gamma_Y \log\left(\frac{Y_t^{nom}}{\bar{Y}^{nom}}\right)$$

- What is the effect of austerity on spreads ?
- In a simplified version of the model without TFP or risk premium shocks, spreads at time *t* are

$$spr_t = F\left(\mathcal{V}^D(w_t, G_{t+1}) - \mathcal{V}^R(B_{t+1}, w_t, G_{t+1})\right)$$

where F is an increasing function Simple Model

- Hence, the effect of  $\downarrow G_t$  on  $spr_t$  can be divided into three channels
  - 1. *w<sub>t</sub>*: Wage Effect
  - 2.  $B_{t+1}$ : Debt Effect
  - 3.  $G_{t+1}$ : G Persistence Effect

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1. Wage effect:

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    - $\downarrow G_{t+1} \rightarrow \downarrow B_{t+2}$ : lower future obligations and  $\uparrow V^R$

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    - $\downarrow G_{t+1} \rightarrow \downarrow B_{t+2}$ : lower future obligations and  $\uparrow \mathcal{V}^R$
    - If fiscal multipliers are high  $\downarrow G_{t+1} \rightarrow \downarrow C_{t+1}$ : deeper recession  $\downarrow V^R$

- Two main channels affecting spreads:
  - 1. Debt Effect  $(\downarrow spr_t)$
  - 2. G Persistence Effect (ambiguous impact)
- Conclusions
  - 1. Austerity reduces spreads if it is not persistent
  - 2. Persistent austerity efforts can increase spreads if:
    - Future Fiscal Multipliers are high such that  $\downarrow G_{t+1} \rightarrow \downarrow C_{t+1}$

Application

# Application

#### • Spain

#### • Estimation:

- Direct estimations of fiscal rules Regressions
- Shock processes and cost of default parameters to match empirical moments (Simulated Method of Moments) More
- Counterfactual exercise:
  - Focus on G,

$$\log(G_t) = (1 - \rho_G)\log(\bar{G}) + \rho_G\log(G_{t-1}) + \sigma_G\epsilon_t^G$$

- Austerity: deviations from rule after 2010-Q2 (negative  $\sigma_G \epsilon_t^G$ ) More
- Compare economy with and without  $\sigma_G \epsilon_t^G$  shocks after 2012Q2

# Counterfactual

- First use Particle Filter to recover paths for:  $A_N, A_T, G$ , and  $\chi$  More
- Simulate model using filtered shocks but setting austerity shocks to zero after 2010Q2
- Results,

Variables	Value
$\log(G^a_{2014Q4}) - \log(G^{na}_{2014Q4})$	-12.5%
$\log(GDP^{a}_{2014Q4}) - \log(GDP^{na}_{2014Q4})$	-1.4%
$\log(H^{a}_{2014Q4}) - \log(H^{na}_{2014Q4})$	-1.5%
$\log(C^{a}_{2014Q4}) - \log(C^{na}_{2014Q4})$	1.3%

Table: Austerity Impact on Economic Activity

#### Results: Counterfactual



# Spreads

- I perform an exact decomposition of the effect on spreads (How?)
  - the 3 channels: w,  $B_{t+1}$  and  $G_{t+1}$



# Results

- Spreads decreased in 2010-2014 as a result of austerity
- Two austerity effects moving spreads in same direction
  - 1. Both effects (B and G persistence) tend to decrease spreads
  - 2. Indicates that recessionary impact of austerity was not important enough
- Austerity decreased Debt to GDP ratios
- Lower annual growth rates of GDP and employment

# Multipliers and Self-Defeating Austerity

- Recessionary impact was not big enough to generate a self-defeating austerity
- Multipliers in Spain on average are 0.85 in equilibrium
- How big multipliers need to be to have a serious chance of self-defeating consolidations ?
- Exercise:
  - Solve the model for different fiscal rule parameters  $\gamma_{Y}$  and  $\gamma_{G}$
  - Simulate each calibration 10,000 periods and count periods when  $\frac{\partial \textit{spr}}{\partial G} < 0$
  - Compute average "probability of self-defeating austerity" and fiscal multipliers

### Multipliers and Self-Defeating Austerity



# Multipliers and Self-Defeating Austerity

- Positive relationship between multipliers and self-defeating prob
- Self-defeating austerities seem to be generally unlikely
- Multipliers need to be higher than 1.5 so that self-defeating prob >1% during a recession
- Claiming that austerity was self defeating in Spain implies assuming high overall multipliers

# Conclusion

- Proposed a model to analyze impact of fiscal policy on spreads
- Application to Spain:
  - Austerity reduced spreads
  - But with costs in terms of economic activity
- Key parameters seem to be related to fiscal rules

#### Rule Shocks vs Narrative Shocks

Back



# Decomposition

Back

- Spreads at time t are a function of  $B_{t+1}$ ,  $w_t$ ,  $G_t$  and other exogenous states not affected by austerity (omitted to simplify exposition)
- Define states in case of austerity  $B^a_{t+1},\,w^a_t,\,G^a_t$  and with no austerity  $B^{na}_{t+1},\,w^{na}_t,\,G^{na}_t$

$$spr_{t}^{a} = spr_{t}^{na} + \underbrace{spr\left(B_{t+1}^{a}, w_{t}^{a}, G_{t}^{a}\right) - spr\left(B_{t+1}^{a}, w_{t}^{a}, G_{t}^{na}\right)}_{G_{t} \text{effect}} + \underbrace{spr\left(B_{t+1}^{a}, w_{t}^{a}, G_{t}^{na}\right) - spr\left(B_{t+1}^{a}, w_{t}^{na}, G_{t}^{na}\right)}_{w_{t} \text{Effect}} + \underbrace{spr\left(B_{t+1}^{a}, w_{t}^{na}, G_{t}^{na}\right) - spr\left(B_{t+1}^{na}, w_{t}^{na}, G_{t}^{na}\right)}_{B_{t+1} \text{Effect}}$$

# Calibration: Fiscal Rules

Back

Variables	lag(C)	lar(P)
variables	$log(G_t)$	$log(B_{t+1})$
	(1)	(2)
log(C, t)	0 05***	
$\log(O_{t-1})$	(0.04)	
$log(GDP_{t-1})$	0.03	
	(0.03)	
$log(B_t)$	0.01	0.98***
	(0.02)	(0.02)
$log(G_t^{nom})$		0.13***
		(0.05)
$log(Y_t^{nom})$		-0.28***
		(0.05)
Observations	91	91
R-squared	0.949	0.997

#### Table: Estimated Fiscal Rules

Notes. Standard errors in parentheses, \*\*\*p < 0.01, \*\*p < 0.05, \*p < 0.1.

Data from Eurostat and Bank of Spain. Regressions include a linear trend, not reported.

# Calibration

#### Back

Description	Parameter	Value	Target	
Panel A: Household, Firms and Labor Market				
Discount factor	$\beta$	0.95	Standard	
Risk aversion	$\sigma$	2	Standard	
Frisch elasticity	heta	1	Standard	
Labor disutility	$\chi$	1.52	Steady state labor	
Elast. of subsitution	$\mu$	0.74	Mendoza (1995)	
Nontradables weight	$\omega$	0.83	SS nontradables share	
Labor elasticity	$\alpha$	2/3	Standard	
Downward wage rigidity	$\gamma$	0.99	Moments	
Panel B: Government				
G rule AR(1)	ρg	0.95	Fiscal rule estimation	
G rule SD	$\sigma_{G}$	1.75%	Fiscal rule estimation	
Debt rule parameter	$\gamma_B$	0.98	Fiscal rule estimation	
Debt rule parameter	$\gamma_{G}$	0.13	Fiscal rule estimation	
Debt rule parameter	$\gamma_Y$	-0.28	Fiscal rule estimation	
Bond coupon rate	δ	1/24	Avg maturity = 6 yrs	
# Calibration

Description	Parameter	Value	Target			
Panel C: Int'l creditors and default						
Default haircut	$\psi$	19.7%	Edwards(2015)			
Prob. of reentry	$\phi$	3.85%	Cruces and Trebesch (2013)			
Risk premium shock	$\phi_0$	0.0036	Estimation of $\chi$ process			
Risk premium shock	$\phi_1$	0.0016	Estimation of $\chi$ process			
Risk premium shock	$\kappa_0$	0.16	Estimation of $\chi$ process			
Risk premium shock	$\kappa_1$	0.35	Estimation of $\chi$ process			
Risk premium shock	$ ho_{\chi}$	0.53	Estimation of $\chi$ process			
Default prod Cost	$d_0$	-0.33	Moments			
Default prod Cost	$d_1$	0.38	Moments			
Panel D: Shock Processes						
Tradables prod AR(1)	$ ho_{AT}$	0.98	Moments			
Nonradables prod $AR(1)$	$ ho_{AN}$	0.87	Moments			
Tradables prod SD	$\sigma_{AT}$	1.2%	Moments			
Nonradables prod SD	$\sigma_{AN}$	1.7%	Moments			

# Calibration: Model Fit

Target	Model	Data	Data Description
Average Spread	0.98%	0.8%	Calculated spreads 1997q1-2019q4
SD spread	0.74%	1.01%	Calculated spreads 1997q1-2019q4
Average Debt/GDP	28.1%	25.3%	External Debt to GDP 1997q1-2019q4
Serial Corr $log(Y_N)$	0.84	0.98	Const and Serv V. Added 1997q1-2019q4
$SD \Delta \log(Y_N)$	1.4%	1.7%	Const and Serv V. Added 1997q1-2019q4
Serial Corr $log(Y_T)$	0.91	0.97	Agr and Ind V. Added 1997q1-2019q4
$SD \Delta \log(Y_T)$	2.1%	2.8%	Agr and Ind V. Added 1997q1-2019q4
$SD \log(W_t) - \log(W_{t-4})$	2.2%	2.9%	Annual Growth Nominal Wages 2000q1-2019q4
$\text{SD }\Delta \log(H_N + H_T)$	1.3%	1.0%	SD Total Hours growth rate

# International Creditors

Back

• Price of bond in default

$$q_t^D = E_t \left\{ \exp\{m_{t,t+1}\} R^* \left\{ \varphi \left[ (1 - \tilde{d}_{t+1}) \underbrace{(\delta + (1 - \delta)q_{t+1})(1 - \psi)}_{\text{payoff if return}} + \tilde{d}_{t+1} \underbrace{q_{t+1}^D}_{\text{payoff if}}_{\text{no return}} \right] + (1 - \varphi) \underbrace{q_{t+1}^D}_{\text{no return}} \right\} \right\}$$

- $\varphi$ : Prob of regaining access to markets
- $\psi$ : Haircut
- R\*: Gross risk free interest rate

# Policy Rules: B



# Government's Problem

## • Value of repaying,

 $\mathcal{V}^{R}(\mathbf{S}) = u(\mathcal{C}(\mathbf{S}), \mathcal{H}(\mathbf{S})) + \beta E\left\{\mathcal{V}(\mathbf{S}', \xi') | \mathbf{S}\right\}$ 

## st.

$$\log\left(\frac{B'}{\bar{B}}\right) = \gamma_B \log\left(\frac{B}{\bar{B}}\right) + \gamma_G \log\left(\frac{p_G(\mathbf{S})G}{\bar{\rho_G}\bar{G}}\right) + \gamma_Y \log\left(\frac{\gamma^{nom}(\mathbf{S})}{\bar{\gamma}^{nom}}\right)$$
$$w'_{-1} = w(\mathbf{S})$$
$$log(G') = (1 - \rho_G)log(\bar{G}) + \rho_G log(G) + \sigma_G \epsilon^G$$
$$+ Equilibrium Conditions$$

# Government's Problem

Back

# • Value in default, $\mathcal{V}^{D}(\mathbf{S}) = u\left(C(\mathbf{S}_{1}, \tilde{\mathbf{S}}_{2}), H(\mathbf{S}_{1}, \tilde{\mathbf{S}}_{2})\right) + \beta E\{\varphi \max\left[\mathcal{V}^{D}(\mathbf{S}'), \mathcal{V}^{R}((1-\psi)B', w_{-1}', \mathbf{S}_{2}')\right] + (1-\varphi)\mathcal{V}^{D}(\mathbf{S}')|\mathbf{S}\}$

st.

$$T(\mathbf{S}_{1}, \tilde{\mathbf{S}}_{2}) = \rho_{G}(\mathbf{S}_{1}, \tilde{\mathbf{S}}_{2})G$$
  

$$B' = BR^{*}$$
  

$$w'_{-1} = w(\mathbf{S}_{1}, \tilde{\mathbf{S}}_{2})$$
  

$$log(G') = (1 - \rho_{G})log(\bar{G}) + \rho_{G}log(G) + \sigma_{G}\epsilon^{G}$$
  
+ Equilibrium Conditions

- R\*: international gross interest rate
- $\varphi$ : exogenous probability of re-entering markets
- $\tilde{\mathbf{S}}_{2} \equiv \left\{ \tilde{A}_{N}, \tilde{A}_{T}, G, m \right\}, \mathbf{S}_{1} \equiv \{B, w_{-1}\}$
- Following Chatterjee and Eyigungor (2012), productivity in default

$$\begin{split} \tilde{A}_{N} &= A_{N} - max \left\{ 0, d_{0}A_{N} + d_{1}A_{N}^{2} \right\} \\ \tilde{A}_{T} &= A_{T} - max \left\{ 0, d_{0}A_{T} + d_{1}A_{T}^{2} \right\} \end{split}$$

# Risk premium shock

• International lenders stochastic discount factor

$$m_{t,t+1} = -(\phi_0 + \phi_1 \chi_t) - \frac{1}{2} \kappa_t^2 + \kappa_t \varepsilon_{\chi,t+1}$$
  

$$\chi_{t+1} = \rho_\chi \chi_t + \varepsilon_{\chi,t+1} \qquad \varepsilon_{\chi,t+1} \sim \mathcal{N}(0,1)$$
  

$$\kappa_t = \kappa_0 + \kappa_1 \chi_t$$

# Simplifying Assumptions

• Assume country lacks commitment to repay debt at t + 1 only

- $A_{NT}, A_T, m$  are constant
- Government starts with debt  $B_t$  and  $G_t = \overline{G}$  for t + j, j > 0
- Implements and announces the following austerity package  $\Delta G_t = \Delta G < 0$ ,  $\Delta G_{t+1} = \rho \Delta G_t$  and  $\Delta G_{t+j} = 0$  for j > 1
- Parameter ho > 0 measures how persistent the austerity package is
- Value for defaulting is given by  $V^D(w_{t-1}, G_t)$  with  $V_1^D < 0, V_2^D < 0$

# Filter



